

Cyclostationary source extraction and separation from the near-field radiations of the electronic device

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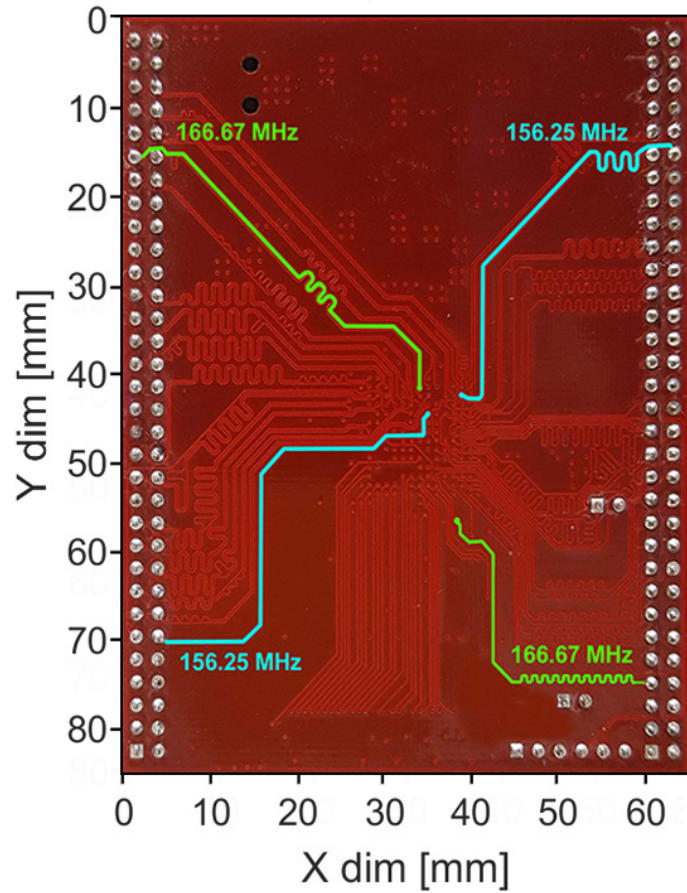
**Short Term Scientific Mission 20.01.2018 – 3.02.2018
at The Institute for Nanoelectronics,
Technische Universitaet Muenchen**

Outline

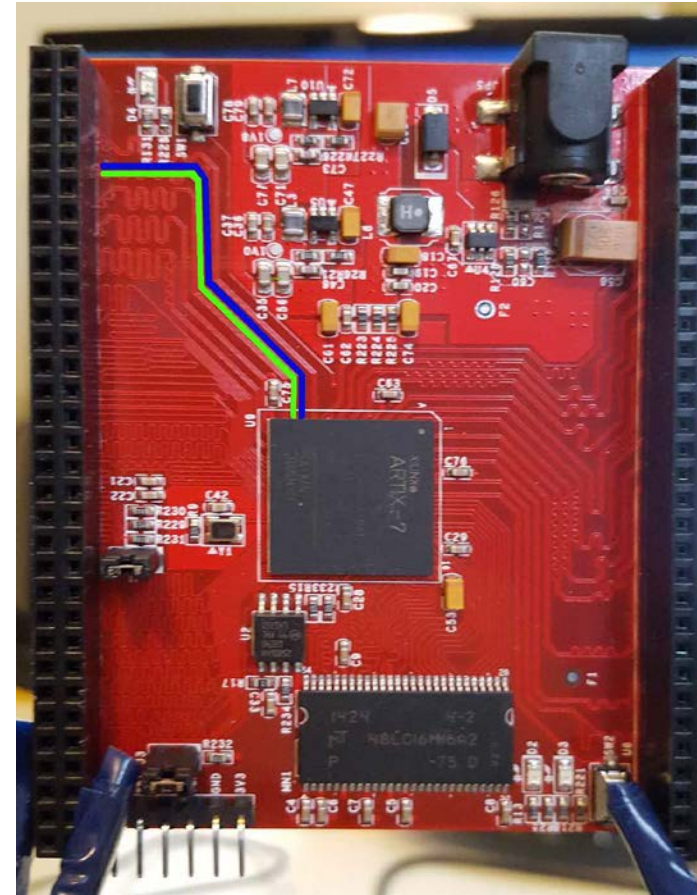
- **Xilinx FPGA Development Board Artix-7 XC7A35T**
- **Analysis of second order moment and cumulant cyclic functions of the DUT's signals**
- **Cross-correlation cumulant analysis of the near-field measured signals**
- **Conclusion**

Device under test

➤ Xilinx FPGA Development Board Artix-7 XC7A35T

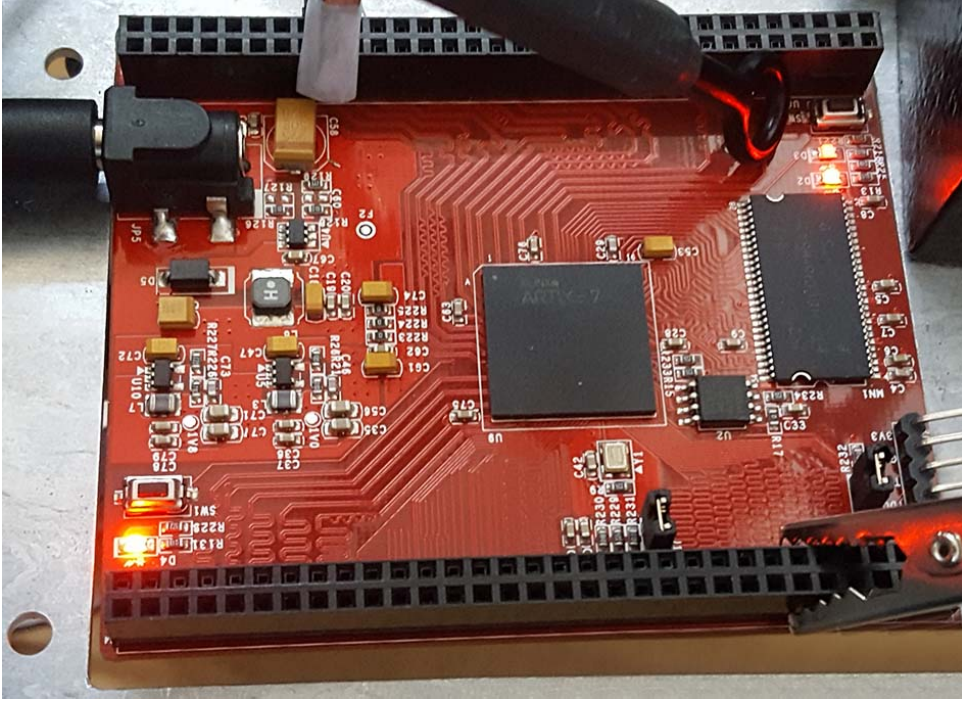


✓ Bottom side

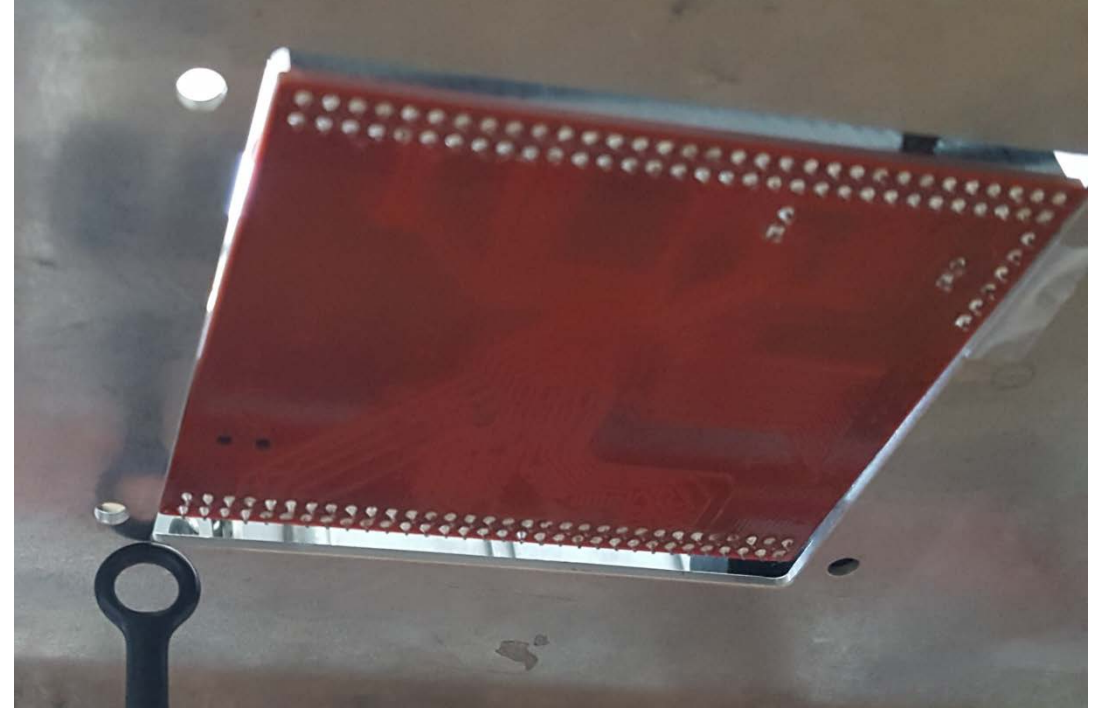


✓ Top side

Near-field measurement setup

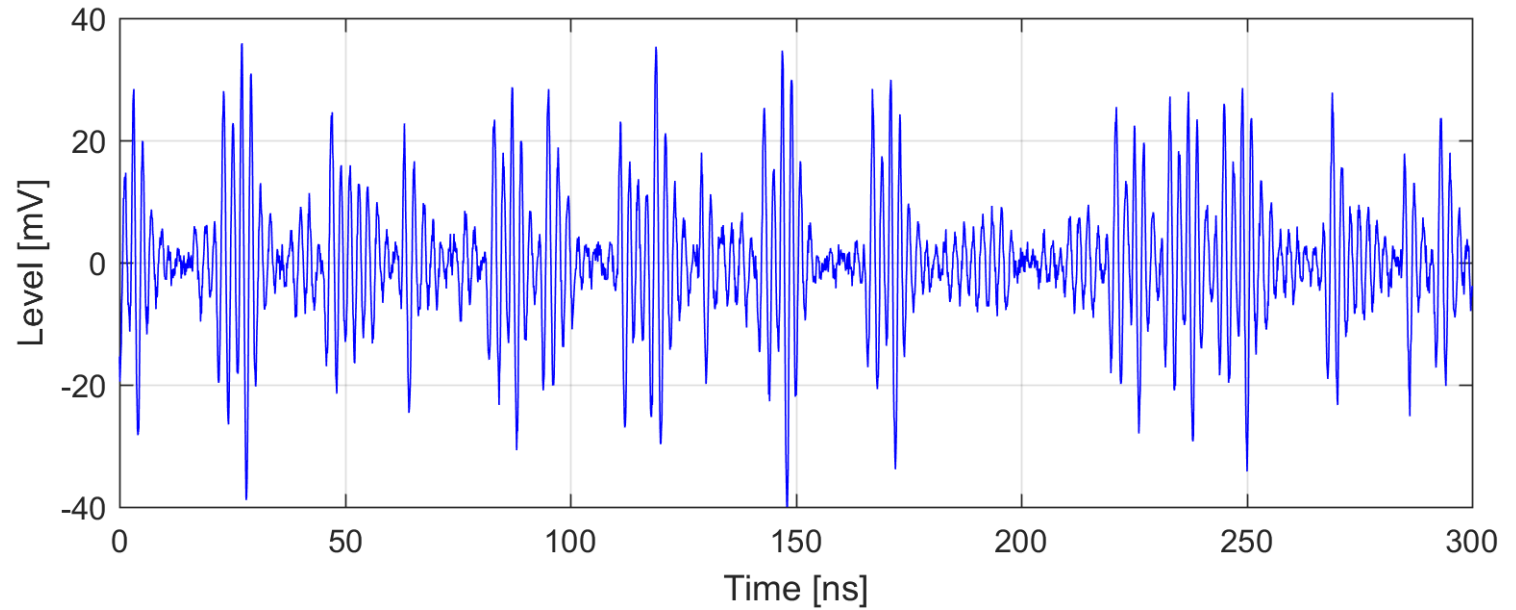
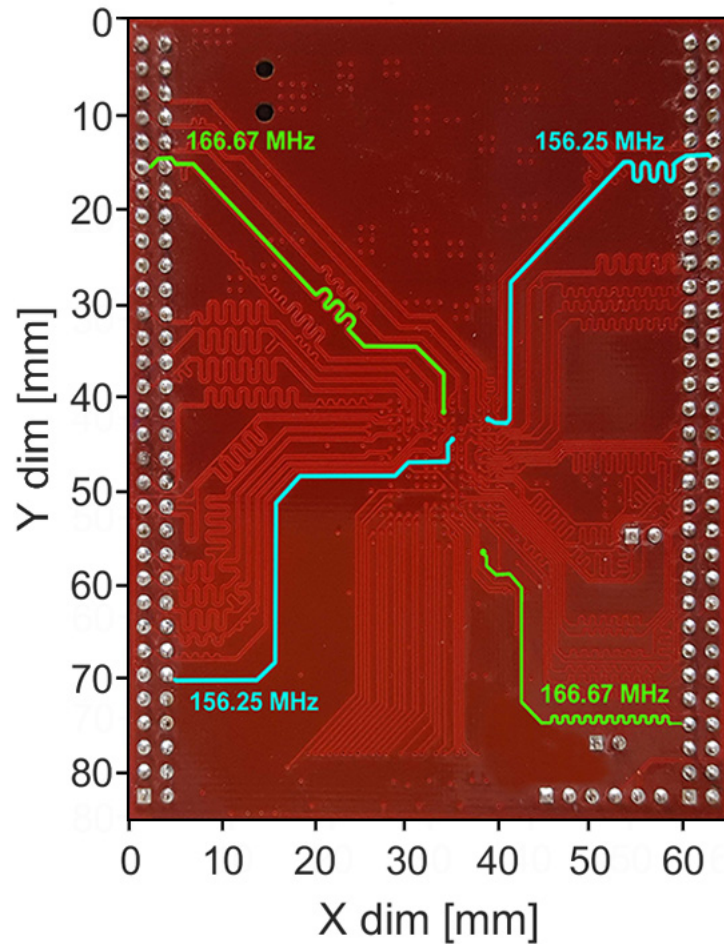


✓ Reference probe



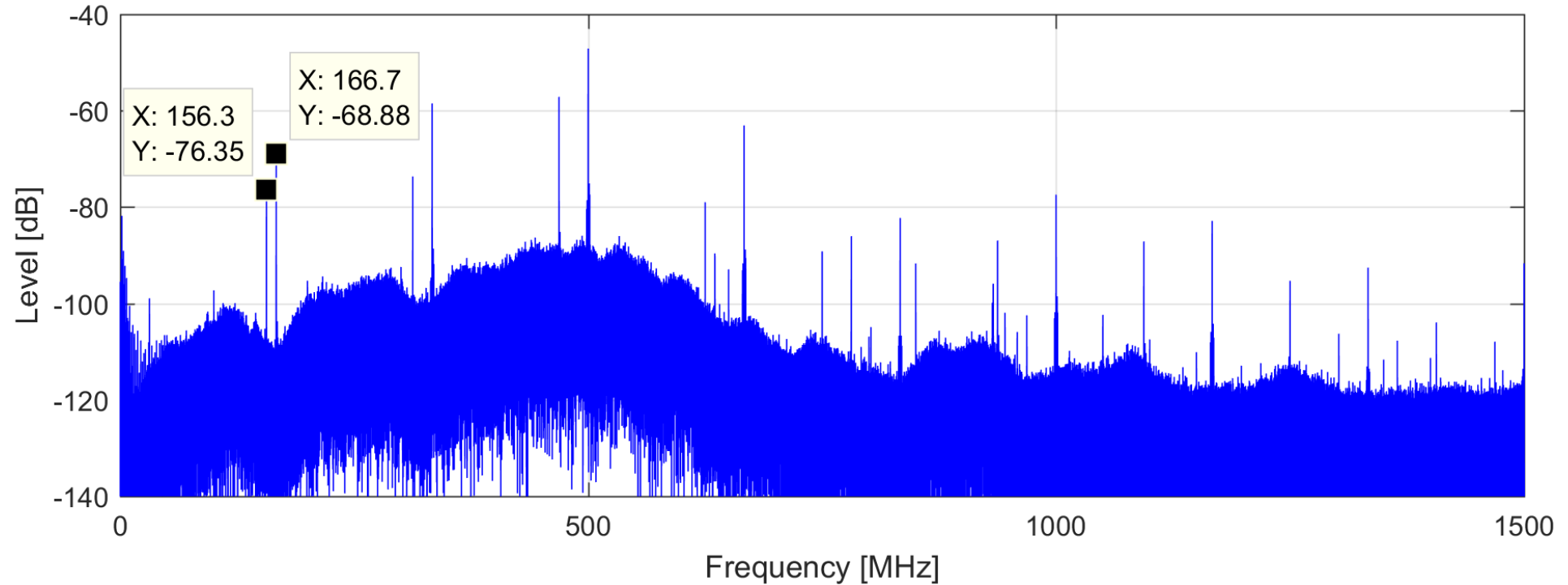
✓ Scanning probe

Near-field measurement setup



✓ Bit frequencies are 166.67 MHz
and 156.25 MHz

Near-field measurement setup



✓ Amplitude spectrum of the measured signal

Cyclostationary sources characterization

The periodic sample mean function of the cyclostationary process

$$m_x(\alpha, t) = \lim_{N \rightarrow \infty} \frac{1}{2N + 1} \sum_{n=-N}^N x(t + nT) = \sum_{k=-\infty}^{\infty} e^{\frac{j2\pi kt}{T}} \lim_{\Delta \rightarrow \infty} \frac{1}{\Delta} \int_{-\frac{\Delta}{2}}^{\frac{\Delta}{2}} x(\zeta) e^{-j2\pi\alpha k\zeta} d\zeta$$

Nonlinear inertialess shifted transformation of the signal

$$z(t, \tau) = x(t - \tau/2)x(t + \tau/2)$$

Cyclic autocorrelation function

$$R_x(\alpha, \tau) = \lim_{\Delta \rightarrow \infty} \frac{1}{\Delta} \int_{-\frac{\Delta}{2}}^{\frac{\Delta}{2}} z(t, \tau) e^{-j2\pi\alpha t} dt$$

Cyclostationary sources characterization

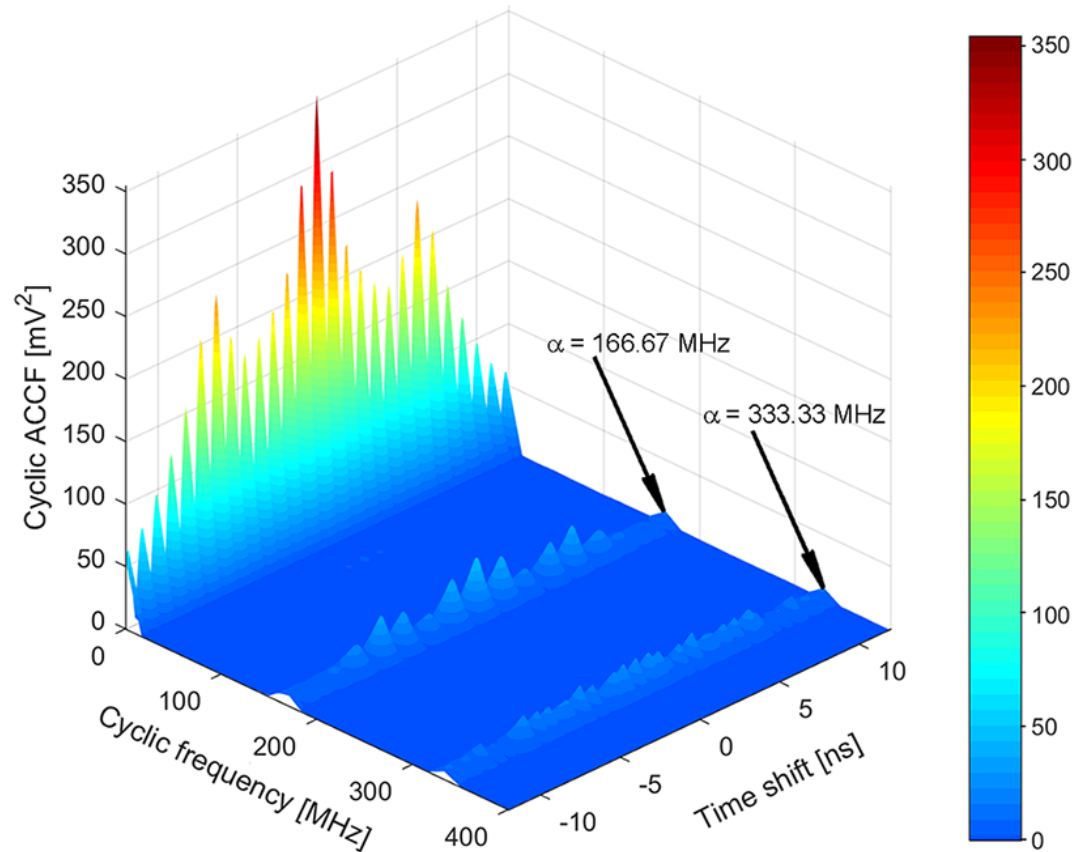
Non-periodic second order cyclic cumulant function

$$C_x(\alpha, \tau) = \lim_{\Delta \rightarrow \infty} \frac{1}{\Delta} \int_{-\frac{\Delta}{2}}^{\frac{\Delta}{2}} \left[x\left(t - \frac{\tau}{2}\right) - m_x\left(\alpha, \left(t - \frac{\tau}{2}\right)\right) \right] \left[x\left(t + \frac{\tau}{2}\right) - m_x\left(\alpha, \left(t + \frac{\tau}{2}\right)\right) \right] e^{-j2\pi\alpha t} dt$$

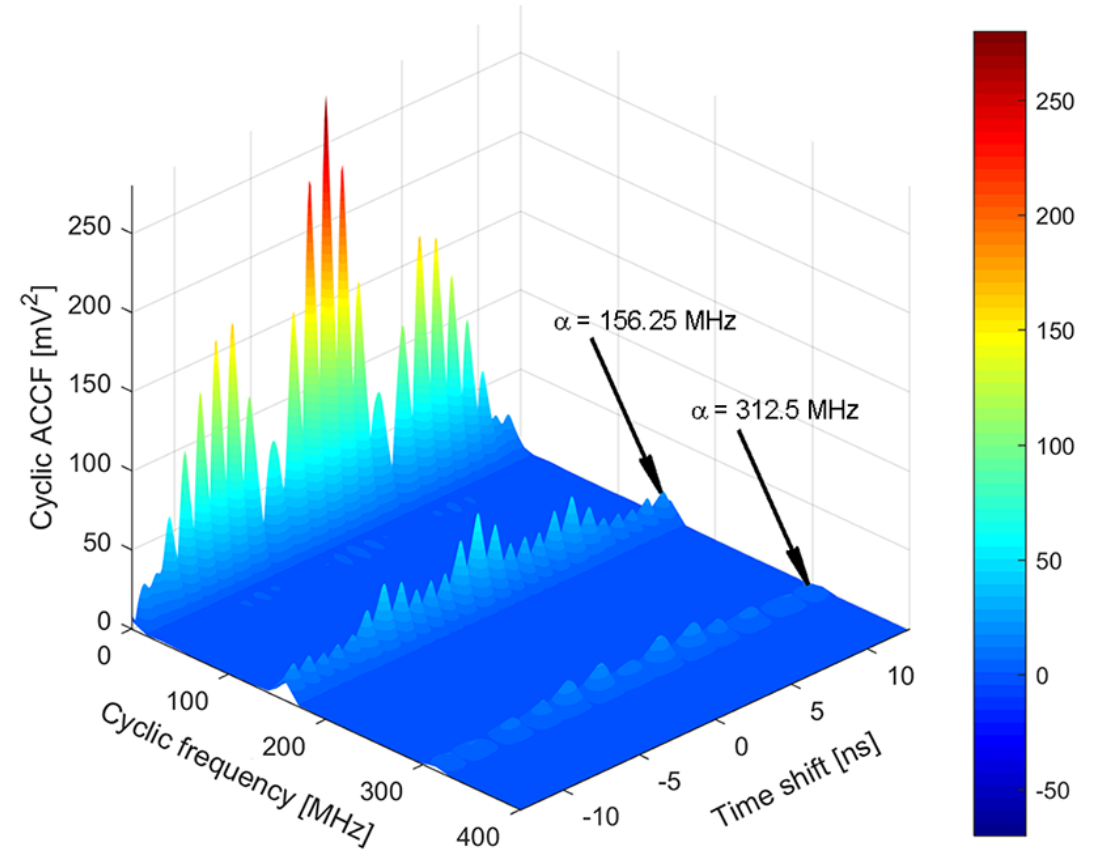
Cyclic cross-correlation cumulant function (cyclic CCCF)

$$C_{yx_{mn}}(\alpha_1, \tau) = \lim_{\Delta \rightarrow \infty} \frac{1}{\Delta} \int_{-\frac{\Delta}{2}}^{\frac{\Delta}{2}} \left[y\left(t - \frac{\tau}{2}\right) - m_y\left(\alpha_1, \left(t - \frac{\tau}{2}\right)\right) \right] \left[x_{mn}\left(t + \frac{\tau}{2}\right) - m_{x_{mn}}\left(\alpha_1, \left(t + \frac{\tau}{2}\right)\right) \right] e^{-j2\pi\alpha_1 t} dt$$

Cyclic autocorrelation cumulant functions

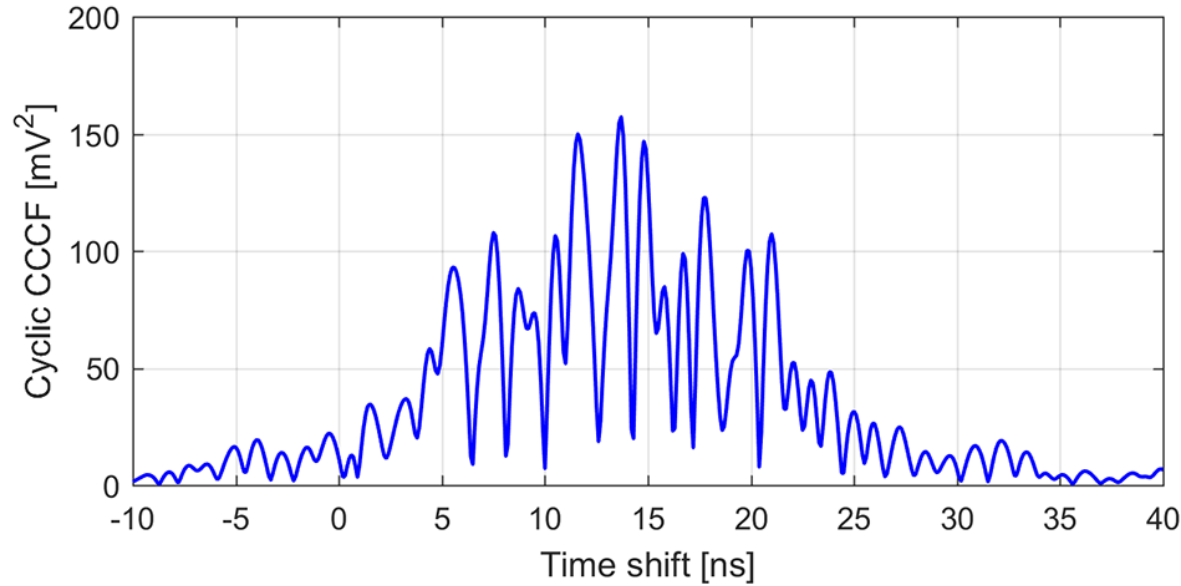


$$\checkmark \alpha_1 = 1/T_{\text{bit1}} = 166.67 \text{ MHz}$$

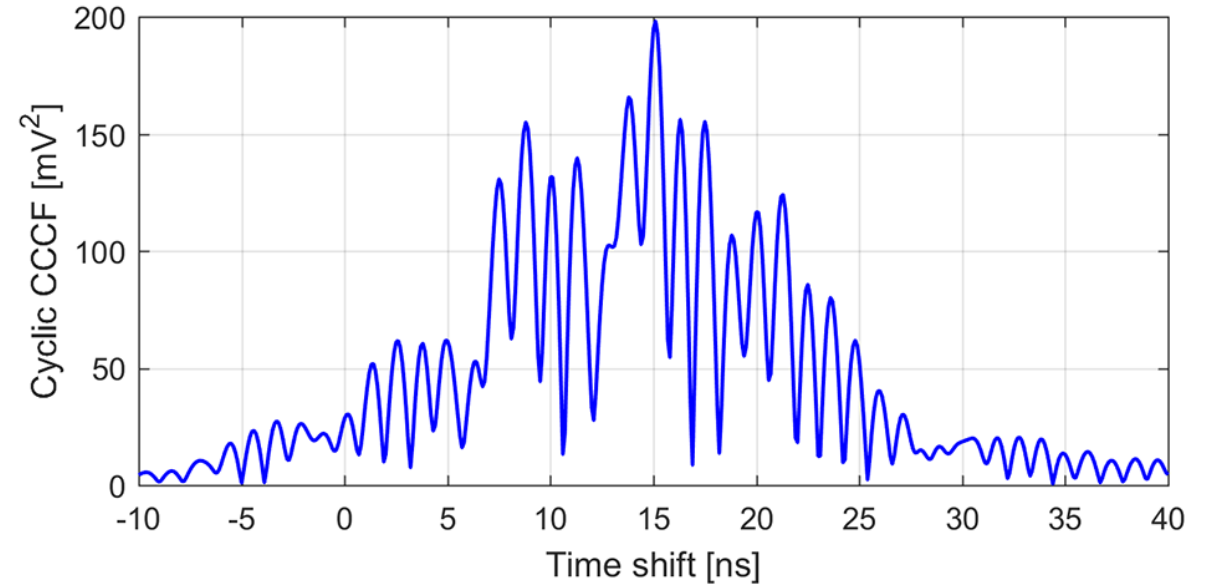


$$\checkmark \alpha_2 = 1/T_{\text{bit2}} = 156.25 \text{ MHz}$$

Cyclic cross-correlation cumulant functions

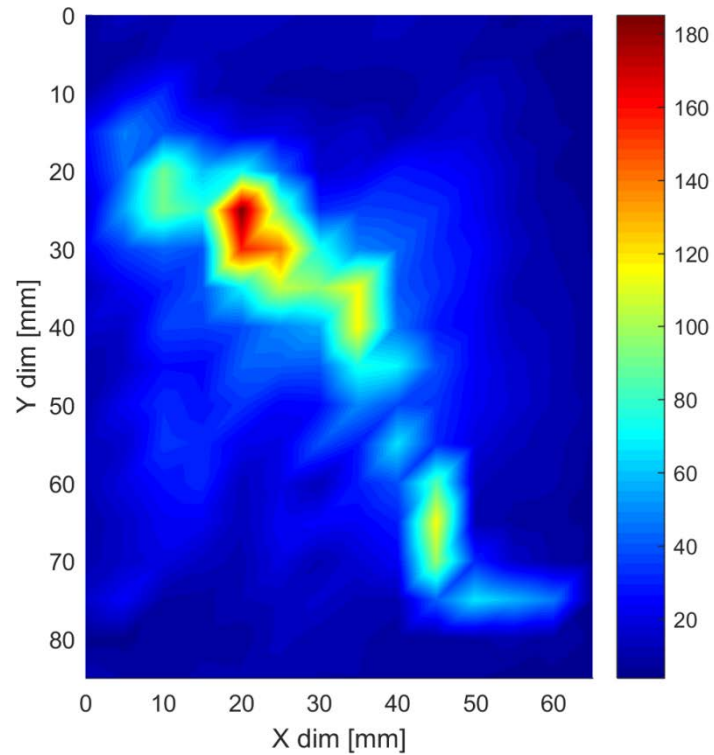


$$\checkmark \alpha_1 = 1/T_{\text{bit1}} = 166.67 \text{ MHz}$$

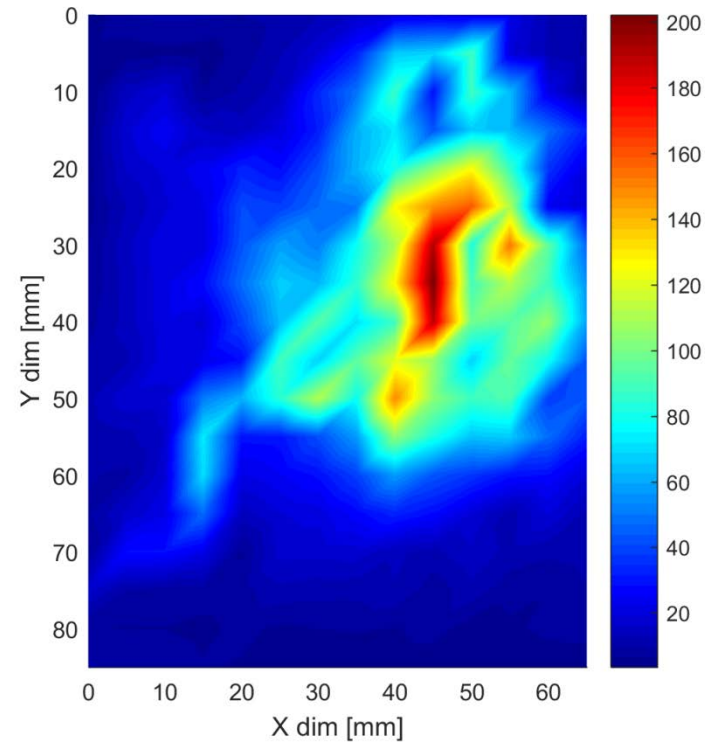


$$\checkmark \alpha_2 = 1/T_{\text{bit2}} = 156.25 \text{ MHz}$$

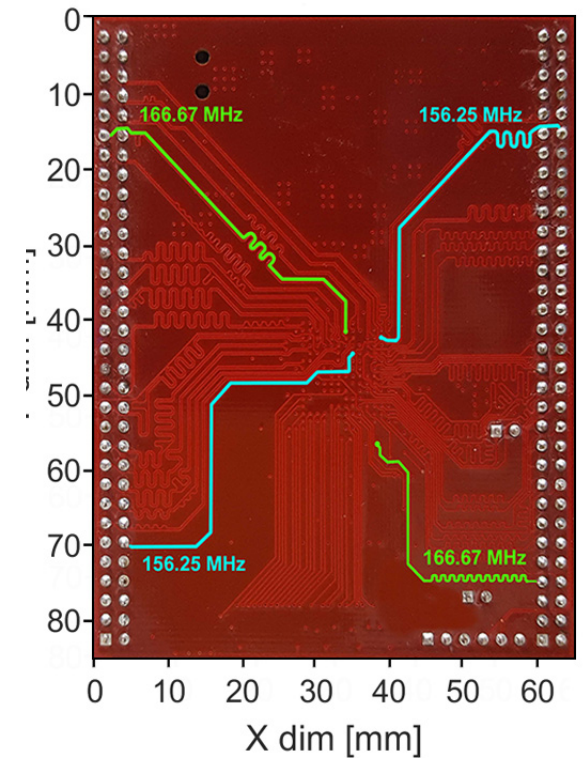
Spatial distribution of cyclic CCCF



✓ $\alpha_1 = 166.67$ MHz



✓ $\alpha_2 = 156.25$ MHz



Conclusion

- **Cyclic cross-correlation cumulant functions can be used for separation of two different random bit sequences with different cyclic frequencies**
- **Special-time distribution was used for the localization of the transmission lines over the DUT surface**
- **For cyclostationary source separation the position of the reference probe need to be chosen for sensing radiations of both sources**

Publications

- **EMC Europe 2018 Symposium, August 27-30, Amsterdam, Netherlands**
- **2018 Baltic URSI Symposium, May 14-17, Poznań, Poland**
- **2nd URSI AT-RASC, 28 May – 1 June, Gran Canarias**
- **European Microwave Week 2018, September 23-28, Madrid, Spain**