

IC 1407 ACCREDIT



Spatial Localization of Unintentional Stochastic Radiation Sources

Yury Kuznetsov, Andrey Baev Moscow Aviation Institute (National Research University) Russian Federation

Short Term Scientific Mission 23.01.2016 – 07.02.2016 at The George Green Institute of Electromagnetic Research, The University of Nottingham





Outline

- Motivation
- Characterization of stochastic EM radiated emission
- Non-parametric estimation of stochastic EMI sources
- Parametric identification of stochastic EMI sources
- Experimental results
- Conclusion







Localization of signal traces



- ✓ The radiating ✓ Equivalent sources ✓ T
 source on the surface of PCB of
- ✓ The distribution of the radiated EM field







Field recovering



✓ The source is the surface current distribution
 ✓ Radiating of the H-field polarized component
 ✓ Recovery of the linked electric dipoles







Outline

Motivation

- Characterization of stochastic EM radiated emission
- Non-parametric estimation of stochastic EMI sources
- Parametric identification of stochastic EMI sources
- Experimental results
- Conclusion







Time-domain of EM emissions



✓ Short pulses with high amplitude
✓ Stationary clock synchronization sequence







> Spectrogram of EM emissions



✓ Ultra wideband random pulse component
 ✓ Clock synchronization stationary deterministic waveform







Central frequency 399 MHz

✓ Amplitude spectrum



✓ Spectrum vs. time



Central frequency 1197 MHz











Central frequency 400 MHz



Central frequency 1200 MHz









Outline

Motivation

- Characterization of stochastic EM radiated emission
- Non-parametric estimation of stochastic EMI sources
- Parametric identification of stochastic EMI sources
- Experimental results
- Conclusion







EMI sources localization

Stochastic EMI sources localization algorithm



- $\checkmark s_q[m]$ measured spatial distribution
- $\checkmark s_0[m]$ reference component
- \checkmark W_{x,y} cross-correlation matrix
- \checkmark C_{y,x} inverse cross-correlation matrix























Electric dipole model

$$\dot{H}_{x}(\vec{r}) = \dot{I} \cdot \left[d \cdot \sum_{j=1}^{M_{x} \cdot M_{y}} \frac{e^{-j(kr_{j}+2\pi f\tau_{j})}}{4\pi r_{j}^{2}} \left(jk + \frac{1}{r_{j}} \right) \cdot \Delta l_{y_{j}} \right]$$

$$\dot{H}_{y}(\vec{r}) = -\dot{I} \cdot \left[d \cdot \sum_{j=1}^{M_{x} \cdot M_{y}} \frac{e^{-j(kr_{j}+2\pi f\tau_{j})}}{4\pi r_{j}^{2}} \left(jk + \frac{1}{r_{j}} \right) \cdot \Delta l_{x_{j}} \right]$$

$$\dot{p}_{\{x,y\}} = \frac{\dot{I} \cdot \Delta l_{\{x,y\}}}{j2\pi f}$$







 \checkmark The relations between the measured complex amplitudes of the tangential harmonic magnetic fields in the observation plane and the complex amplitude of the current are defined in accordance with the electric dipole model

$$\dot{\mathbf{H}}_{\mathbf{x}} = [\dot{\mathbf{G}}_{\mathbf{x}}] \cdot \dot{\mathbf{p}}_{\mathbf{y}} \qquad \dot{\mathbf{H}}_{\mathbf{y}} = [\dot{\mathbf{G}}_{\mathbf{y}}] \cdot \dot{\mathbf{p}}_{\mathbf{x}}$$

 \checkmark The complex amplitudes of the cross correlation spectra could be expressed by the following matrix expression

$$\dot{\mathbf{W}}_{\mathbf{x}} = \dot{\mathbf{H}}_{\mathbf{x}} \cdot \dot{H}_{0x}^{*} = [\dot{\mathbf{G}}_{\mathbf{x}}] \cdot \dot{\mathbf{p}}_{\mathbf{y}} \cdot \dot{H}_{0x}^{*} = [\dot{\mathbf{A}}_{\mathbf{x}}] \cdot \dot{\mathbf{p}}_{\mathbf{y}} \qquad \dot{\mathbf{W}}_{\mathbf{y}} = \dot{\mathbf{H}}_{\mathbf{y}} \cdot \dot{H}_{0y}^{*} = [\dot{\mathbf{A}}_{\mathbf{y}}] \cdot \dot{\mathbf{p}}_{\mathbf{x}}$$

✓ Obtained parameters of dipole moments in the object plane

$$\dot{\mathbf{p}}_{y} = [\dot{\mathbf{A}}_{x}]^{+} \cdot \dot{\mathbf{W}}_{x}$$
 $\dot{\mathbf{p}}_{x} = [\dot{\mathbf{A}}_{y}]^{+} \cdot \dot{\mathbf{W}}_{y}$







Cross-correlation Estimation

• Complex amplitude of scanning probe	$\dot{H}_{i}^{k} = \frac{1}{N} \sum_{n=0}^{N-1} w_{n} \cdot H_{i}^{k}(t_{n}) \cdot e^{-j2\pi f_{m}t_{n}}, i = 1, 2,, N_{x} \times N_{y}$
• Complex amplitude of reference probe	$\dot{H}_{0}^{k} = \frac{1}{N} \sum_{n=0}^{N-1} w_{n} \cdot H_{0}^{k}(t_{n}) \cdot e^{-j2\pi f_{m}t_{n}}$
• Time samples	$t_n = n \cdot t_s, n = 0, 1, \dots, N-1$
• Weighting coefficients of time	window W_n
• Frequencies	$f_m = \frac{m}{T}, m = 0, 1, 2, \dots$
• Cross-correlation coefficients	$\dot{W_i} = \frac{1}{K} \sum_{k=1}^{K} \dot{H_i^k} \cdot \dot{H_0^k}^*$
Complex coefficients	$\dot{G}_{i,j} = j2\pi f_m \cdot \frac{e^{-jkr_{ij}}}{4\pi r_{ij}} \left(jk + \frac{1}{r_{ij}} \right) \cdot d, j = 1, 2, \dots, M_x \times M_y$
The University of Nottingham	Moscow Aviation 16

Institute

UNITED KINGDOM · CHINA · MALAYSIA

Reconstruction of Dipole Moments

• Tikhonov regularization $\mathbf{p}_{\lambda} = \arg \{\min_{\mathbf{p}} [(\|[\mathbf{A}] \cdot \mathbf{p} - \mathbf{W}\|_2)^2 + \lambda^2 (\|\mathbf{p}\|_2)^2] \} = [\mathbf{V}] [\mathbf{\Sigma}]_{\lambda}^H [\mathbf{U}]^H \cdot \mathbf{W}$

where

$$[\mathbf{\Sigma}]_{\lambda}^{H} = \left[\operatorname{diag} \left\{ \frac{\sigma_{i}^{2}}{\sigma_{i}^{2} + \lambda^{2}} \cdot \frac{1}{\sigma_{i}} \right\} \right]$$

• L-curve Method

$$\lambda : \max_{\lambda} \left\{ \operatorname{curv} \left(\log \| [\mathbf{A}] \cdot \mathbf{p}_{\lambda} - \mathbf{W} \|_{2}, \log \| \mathbf{p}_{\lambda} \|_{2} \right) \right\}$$









18

Outline

- Motivation
- Characterization of stochastic EM radiated emission
- Non-parametric estimation of stochastic EMI sources
- Parametric identification of stochastic EMI sources
- Experimental results
- Conclusion









✓ Model parameters

 $\Theta_{s} = \begin{pmatrix} \Delta \vec{l}_{s} \\ \tau_{s} \end{pmatrix} \bullet \text{ s-th dipole orientation vector}$ $\bullet \text{ current delay in s-th dipole}$

 $s = 1, 2, \dots Order$ $Order < (M_x \times M_y)$







Space frequency-domain model of planar sources

 $\dot{G}[\nu,\mu] = \sum_{j=1}^{M_x \times M_y} \dot{p}_{\lambda}(x_j, y_j, z=0) \cdot e^{-j2\pi \left(\frac{x_j}{D_x}\nu + \frac{y_j}{D_y}\mu\right)} = \dot{F}[\nu,\mu] + \dot{N}[\nu,\mu]$

$$\dot{F}[\nu,\mu] = \sum_{s=1}^{Order} \dot{\alpha}_{s} \cdot e^{-j\frac{2\pi x_{s}}{D_{x}}\nu} \cdot e^{-j\frac{2\pi y_{s}}{D_{y}}\mu} = \sum_{s=1}^{Order} \dot{\alpha}_{s} \cdot \dot{z}_{x_{s}}^{\nu} \cdot \dot{z}_{y_{s}}^{\mu}$$

$$\nu = 0, 1, \dots M_{x} - 1$$

$$\mu = 0, 1, \dots M_{y} - 1$$







Model Order Selection

 $Order = \arg\{\min[-2\ln(L_k(\mathbf{D}, \widetilde{\mathbf{\Theta}})) + r(k)f(N, k)]\}$









Effective source coordinates estimation $[\mathbf{D}] = [\mathbf{U}][\boldsymbol{\Sigma}][\mathbf{V}]^{H} = [\mathbf{U}]_{s}[\boldsymbol{\Sigma}]_{s}[\mathbf{V}]_{s}^{H} + [\mathbf{U}]_{n}[\boldsymbol{\Sigma}]_{n}[\mathbf{V}]_{n}^{H}$ ✓ x-coordinate ✓ y-coordinate $[\mathbf{U}]_{sP} = [\mathbf{P}] \cdot [\mathbf{U}]_{s} = \begin{vmatrix} [\mathbf{U}]_{1P} \\ [\mathbf{U}]_{1PJ} \end{vmatrix} = \begin{bmatrix} [\mathbf{U}]_{2PJ} \\ [\mathbf{U}]_{2P} \end{vmatrix}$ $\begin{bmatrix} \mathbf{U} \end{bmatrix}_{s} = \begin{vmatrix} \begin{bmatrix} \mathbf{U} \end{bmatrix}_{s1} \\ \begin{bmatrix} \mathbf{U} \end{bmatrix}_{s1L} \end{vmatrix} = \begin{vmatrix} \begin{bmatrix} \mathbf{U} \end{bmatrix}_{s2L} \\ \begin{bmatrix} \mathbf{U} \end{bmatrix}_{s2L} \end{vmatrix}$ $[\mathbf{M}] = [\mathbf{U}]_{s2} - \lambda \cdot [\mathbf{U}]_{s1}$ $[\mathbf{M}]_{P} = [\mathbf{U}]_{2P} - \lambda \cdot [\mathbf{U}]_{1P}$ $[\mathbf{U}]_{s1}^{+}[\mathbf{U}]_{s2} = [\mathbf{Q}][\mathbf{Z}]_{r}[\mathbf{Q}]^{-1}$ $[\mathbf{U}]_{1P}^{+}[\mathbf{U}]_{2P} = [\mathbf{Q}][\mathbf{Z}]_{v}[\mathbf{Q}]^{-1}$ $[\mathbf{Z}]_{r} = [\mathbf{Q}]^{-1} [\mathbf{U}]_{s1}^{+} [\mathbf{U}]_{s2} [\mathbf{Q}]$ $[\mathbf{Z}]_{v} = [\mathbf{Q}]^{-1} [\mathbf{U}]_{1P}^{+} [\mathbf{U}]_{2P} [\mathbf{Q}]$ $\mathbf{z}_x = \operatorname{diag}([\mathbf{Z}]_x) \Longrightarrow \mathbf{x} = -D_x \frac{\operatorname{arg} \mathbf{z}_x}{2\pi}$ $\mathbf{z}_{y} = \operatorname{diag}([\mathbf{Z}]_{y}) \Longrightarrow \mathbf{y} = -D_{y} \frac{\operatorname{arg} \mathbf{z}_{y}}{2\pi}$







Complex amplitudes of dipole moments









Geometric parameters of dipoles









Outline

Motivation

- Characterization of stochastic EM radiated emission
- Non-parametric estimation of stochastic EMI sources
- Parametric identification of stochastic EMI sources
- Experimental results
- Conclusion







Measurement setup

> Time-domain measurement system

✓ Digital oscilloscope









Line scanning



Scanning path 1

Scanning path 2

Reference probe positions

✓ Scanning path 20 mm ✓ Scanning step 2 mm







> Spatial distribution of clock power, F = 400 MHz

✓ H_x probe polarization



✓ H_x probe polarization

✓ H_v probe polarization



H_y probe polarization









Equivalent dipoles



✓ Model order 4-5







> Area scanning



Scanning region

Reference probe position

✓ Scanning area 12x12 mm ✓ Scanning step 2 mm







Spatial distribution of clock power at frequency 400 MHz in the volume over the PCB













\checkmark h = 2 mm, F = 400 MHz







Comparison of experimental and predicted power distributions for H_x polarization

✓ Experimental

✓ Prediction



Comparison of experimental and predicted power distributions for H_y polarization

Experimental

Prediction









Outline

Motivation

- Characterization of stochastic EM radiated emission
- Non-parametric estimation of stochastic EMI sources
- Parametric identification of stochastic EMI sources
- Experimental results
- Conclusion







Conclusion

- The near-field measurements of stochastic radiation from PCB can be used for the localization of EMI sources with predefined clock frequency.
- The improvement of the localization accuracy could be achieved by parametric identification procedure in addition to the conventional averaging and inverse technique for stochastic EM field.
- The proposed signal processing algorithms for the EMI sources localization and the approach for prediction of the enclose unintentional emissions pattern were verified by experimental measurements.







Thank you for your kind attention!

Questions?





